Name:	Class:	Date:
	C111051	Date.

Honors	Geometry	_	Ch.	7	Test	(Similarity)
TOHOTS	Geometry	-	CII.	1	rest	(Similarity)

120 in

1. A model is made of a car. The car is 10 feet long and the model is 7 inches long. What is the ratio of the length of the car to the length of the model?

A. 10:7

B. 7:120

C. 120:7

D. 7:10

2. The measure of two complementary angles are in the ratio 1:5. What are the degree measures of the two angles?

A. 36° and 144°

C. 30° and 150°D. 18° and 72°

ID: A

15° and 75

3. The measures of the angles of a triangle are in the extended ratio 2:3:4. What is the measure of the smallest angle?

A. 40 B. 60

D. 20

 $\frac{180}{2+3+4} = \frac{180}{9} = 20$ 

What is the solution of each proportion?

$$-4. \frac{4}{a} = \frac{16}{32} \frac{1}{2}$$

D. 16

5. 
$$\frac{3y-8}{12} = \frac{y}{5}$$
  $\frac{5(3y-8)=12y}{15y-40=12y}$ 

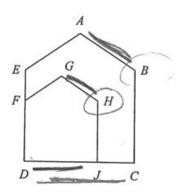
A. -10



6. Given the proportion  $\frac{a}{b} = \frac{5}{19}$  what ratio completes the equivalent proportion  $\frac{a}{5} = \frac{b}{19}$ ?

B.

7. ABCDE ~ GHJDF. Complete the statements.



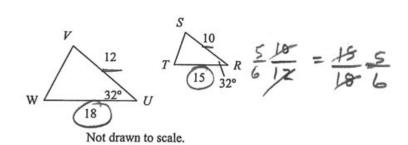
- a. ∠H ≅
- **b.**  $\frac{GH}{DJ} = \frac{AB}{\blacksquare} \mathcal{D} \mathcal{C}$
- A. ∠B; DC

B. *E, AE* 

C. E, DC

D. ∠B; AE

Are the polygons similar? If they are, write a similarity statement and give the scale factor.



8.

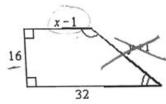
A. ARST AWUV; -

C.  $\Delta RST \Delta VWU; \frac{6}{5}$ 

D. The triangles are not similar.

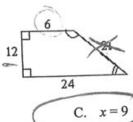
The polygons are similar, but not necessarily drawn to scale. Find the value of x.

9.



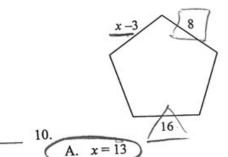
A. 
$$x = 8$$

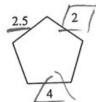
B. 
$$x = \frac{11}{2}$$



C. 
$$x = 0$$

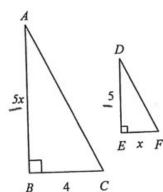
D. 
$$x = 10$$





C. 
$$x = 5.5$$

D. 
$$x = 10$$



$$x^2 = 4$$

В 11. A. 1 B.

You want to draw an enlargement of a design that is printed on a card that is 5 in. by 6 in. You will be drawing this design on an piece of paper that is  $8\frac{1}{2}$  in. by 11 in. What are the dimensions of the largest complete enlargement you can make?

- A.  $1\frac{2}{3}$  in. by  $4\frac{1}{5}$  in.
- B.  $8\frac{1}{2}$  in. by  $4\frac{1}{5}$  in.

- - D.  $1\frac{2}{3}$  in. by  $10\frac{1}{5}$  in.  $\frac{11}{4}$

C.  $8\frac{1}{2}$  in. by  $10\frac{1}{5}$  in.

Name:

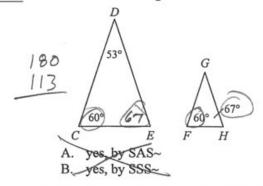
13. In a diagram of a landscape plan, the scale is 1 cm = 10 ft. In the diagram, the trees are 3.1 centimeters apart. How far apart should the actual trees be planted?

3.1 × 10 = 3 1 ft

A. 3.1 feet B. 31 feet

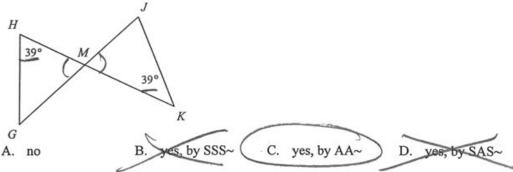
310 feet D. 31 centimeters

Are the two triangles similar? How do you know?



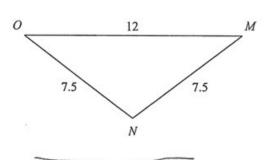
yes, by AA no

15. Are the two triangles similar? How do you know?

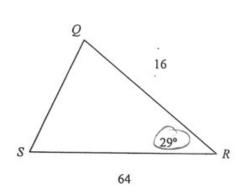


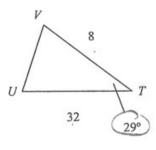
State whether the triangles are similar. If so, write a similarity statement and the postulate or theorem you used.

16.  $\triangle ABC \sim \triangle MNO; SSS$ B. AABC ~ AMNO; SAS



AABC ~ AMNO; AA~ D. The triangles are not similar.

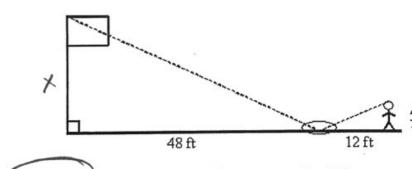


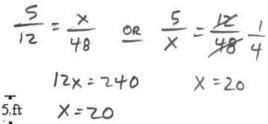


17. A  $\Delta SRQ \sim \Delta UTV$ ;  $\Delta SA\sim$ B.  $\Delta QRS \sim \Delta VTU$ ;  $SAS\sim$ 

-C. ARSQ ~ ATUV; ASA~

- D. The triangles are not similar.
- 18. Michele wanted to measure the height of her school's flagpole. She placed a mirror on the ground 48 feet from the flagpole, then walked backwards until she was able to see the top of the pole in the mirror. Her eyes were 5 feet above the ground and she was 12 feet from the mirror. Using similar triangles, find the height of the flagpole to the nearest tenth of a foot.





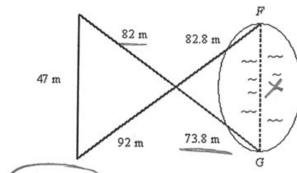
A. 20 ft

B. 38.4 ft

C. 55 ft

D. 25 ft

19. Campsites F and G are on opposite sides of a lake. A survey crew made the measurements shown on the diagram. What is the distance between the two campsites? The diagram is not to scale.



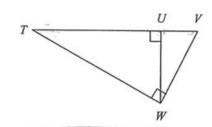
A. 42.3 m

B. 47.4 m

C. 73.8 m

D. 82.8 m

What similarity statement can you write relating the three triangles in the diagram?

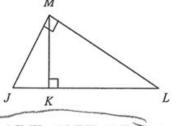


20.

 $\Delta UVW \sim \Delta UWT \sim \Delta WVT$  $\Delta \overline{UVW} \sim \Delta \overline{WUT} \sim \Delta \overline{WVT}$ 

C.  $\Delta WUT \sim \Delta VUW \sim \Delta WVT$ 

D.  $\Delta TWV \sim \Delta VUW \sim \Delta UWT$ 



21.

 $\Delta JMK \sim \Delta MLK \sim \Delta JLM$  $\Delta JMK \sim \Delta LMK \sim \Delta JLM$ 

C.  $\Delta JLM \sim \Delta MLK \sim \Delta JKM$ 

D.  $\triangle JKM \sim \Delta MKL \sim \Delta MJL$ 

Find the geometric mean of the pair of numbers.

22. 4 and 7

A.  $4\sqrt{2}$ 



C. 28

D.  $\sqrt{35}$ 

23. 81 and 4

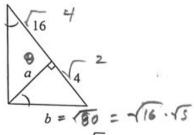
A. 38

B. 23

C. 28

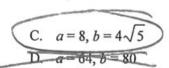
What are the values of a and b?

24.

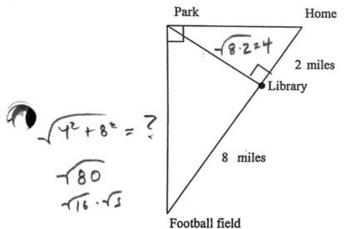


A. 
$$a = 8, b = 8\sqrt{5}$$

B. 
$$a = 18, b = 4\sqrt{5}$$



25. Kristen lives directly east of the park. The football field is directly south of the park. The library sits on the line formed between Kristen's home and the football field at the exact point where an altitude to the right triangle formed by her home, the park, and the football field could be drawn. The library is 2 miles from her home. The football field is 8 miles from the library.



- a. How far is library from the park?
- b. How far is the park from the football field?

A. 4 miles;  $4\sqrt{5}$  miles

B. √10 miles; 3√2 miles

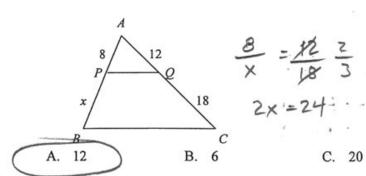
C. 5 miles; 9 miles

D. 4 miles;  $3\sqrt{2}$  miles

Name:

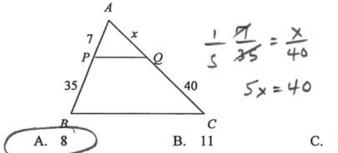
ID: A

26. What is the value of x, given that  $\overline{PQ} \parallel \overline{BC}$ ?



D. 24

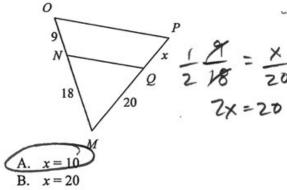
27. What is the value of x, given that  $\overline{PQ} \parallel \overline{BC}$ ?



C. 10

D. 16

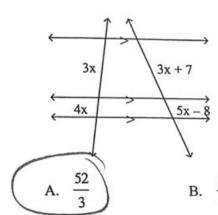
28. What is value of x, given that  $\overline{OP} \parallel \overline{NQ}$ ?



C. x = 13

D. x = 25.5

What is the value of x?



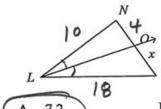
$$\frac{3}{4x} = \frac{3x+7}{5x-8}$$

$$3(5x-8) = 4(3x+7)$$

$$15x-24 = 12x+28$$

$$3x = 52$$

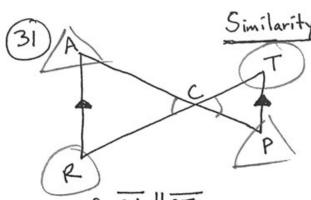
30.  $\overrightarrow{LO}$  bisects  $\angle NLM$ , LM = 18, NO = 4, and LN = 10. What is the value of x?



$$\frac{5}{2}\frac{10}{14} = \frac{18}{x}$$

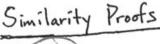
$$5x = 36$$

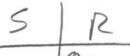
- A. 7.2
- B. 45
- C. 5.43
- D. 2.22



G: RA II PT

P: ARAC~ATPC





2) LA= LP

LRYLT

4) CACR = CPC (4) Vertical els

DRAC ~

1 Given

AH. Int. c's

(3) AH. Int. L's

(3) AA~

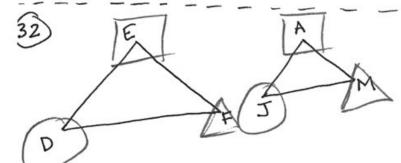


Period: \_ Date:

Name:

Pick Z

of 3



G: DEF and DJAM are equilateral triangles

P: DEF~DJAM

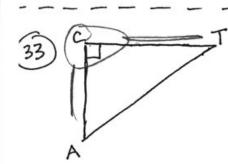


12D25

LE ZLA

LF=LM

DEF~ MATC

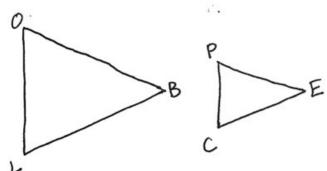


G: AC = CT

P: AACT~ANOW

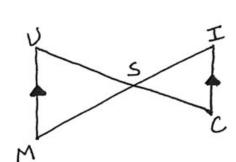
CC=20 2 Def. Right L's

3 SAS~ 3) DACT~ ANOW



P: ALOB ~ ACPE

5	R
(1) J EDALOB~ ACPE	1) Given



G: UM IIIC, US = MS IS

P: AMUS ~ AISC

\* BONUS: For an additional 9 POINTS, show 3 more ways to write this proof (3 points per proof).

< · · ·	R
0:5	Given
2) ∠USM= ∠CSI	DVertical els
ZZUSMæ ZCSI (3)∆MUS~ AISC	35AS~
	OP-

DISC

S P (1) (1) Given (2) LUZC (2) AH. Int. c's (3) LMZLI (3) AH. Int. c's of 3 (4) LUSMZ (4) Vertical c's (5) LUSMZ (5) LAN